The group G is isomorphic to the group labelled by [720, 409] in the Small Groups library.
Ordinary character table of $G \cong$ SL(2,9):

	$1a$	$2a$	$3a$	$3b$	$4a$	$5a$	$5b$	$6a$	$6b$	$8a$	$8b$	$10a$	$10b$
χ_1	1	1	1	1	1	1	1	1	1	1	1	1	1
χ_2	4	−4	1	−2	0	−1	−1	−1	2	0	0	1	1
χ_3	4	−4	−2	1	0	−1	−1	2	−1	0	0	1	1
χ_4	5	5	−1	2	1	0	0	−1	2	−1	−1	0	0
χ_5	5	5	2	−1	1	0	0	2	−1	−1	−1	0	0
χ_6	8	8	−1	−1	0	$-E(5)\hat{}2-E(5)\hat{}3$	$-E(5)-E(5)\hat{}4$	−1	−1	0	0	$-E(5)\hat{}2-E(5)\hat{}3$	$-E(5)-E(5)\hat{}4$
χ_7	8	−8	−1	−1	0	$-E(5)-E(5)\hat{}4$	$-E(5)\hat{}2-E(5)\hat{}3$	1	1	0	0	$E(5)+E(5)\hat{}4$	$E(5)\hat{}2+E(5)\hat{}3$
χ_8	8	−8	−1	−1	0	$-E(5)\hat{}2-E(5)\hat{}3$	$-E(5)-E(5)\hat{}4$	1	1	0	0	$E(5)\hat{}2+E(5)\hat{}3$	$E(5)+E(5)\hat{}4$
χ_9	8	8	−1	−1	0	$-E(5)-E(5)\hat{}4$	$-E(5)\hat{}2-E(5)\hat{}3$	−1	−1	0	0	$-E(5)-E(5)\hat{}4$	$-E(5)\hat{}2-E(5)\hat{}3$
χ_{10}	9	9	0	0	1	−1	−1	0	0	1	1	−1	−1
χ_{11}	10	10	1	1	−2	0	0	1	1	0	0	0	0
χ_{12}	10	−10	1	1	0	0	0	−1	−1	$-E(8)+E(8)\hat{}3$	$E(8)-E(8)\hat{}3$	0	0
χ_{13}	10	−10	1	1	0	0	0	−1	−1	$E(8)-E(8)\hat{}3$	$-E(8)+E(8)\hat{}3$	0	0

Trivial source character table of G ≅ SL(2,9) at p = 3

Normalisers N_i	N_1									N_2				N_3				N_4							
p − subgroups of G up to conjugacy in G	P_1									P_2				P_3				P_4							
Representatives $n_j \in N_i$	$1a$	$2a$	$4a$	$5a$	$5b$	$8a$	$8b$	$10a$	$10b$	$1a$	$2a$	$4a$	$4a$	$1a$	$2a$	$4a$	$4a$	$1a$	$2a$	$4a$	$4a$	$8a$	$8b$	$8b$	$8a$
$1\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+1\cdot\chi_4+1\cdot\chi_5+1\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+1\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+0\cdot\chi_{12}+0\cdot\chi_{13}$	27	27	3	2	2	−1	−1	2	2	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
$0\cdot\chi_1+1\cdot\chi_2+1\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+1\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+1\cdot\chi_{12}+1\cdot\chi_{13}$	36	−36	0	$2*E(5)+E(5)\hat{}2+E(5)\hat{}3+2*E(5)\hat{}4$	$E(5)+2*E(5)\hat{}2+2*E(5)\hat{}3+E(5)\hat{}4$	0	0	$-2*E(5)-E(5)\hat{}2-E(5)\hat{}3-2*E(5)\hat{}4$	$-E(5)-2*E(5)\hat{}2-2*E(5)\hat{}3-E(5)\hat{}4$	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
$0\cdot\chi_1+1\cdot\chi_2+1\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+1\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+1\cdot\chi_{12}+1\cdot\chi_{13}$	36	−36	0	$E(5)+2*E(5)\hat{}2+2*E(5)\hat{}3+E(5)\hat{}4$	$2*E(5)+E(5)\hat{}2+E(5)\hat{}3+2*E(5)\hat{}4$	0	0	$-E(5)-2*E(5)\hat{}2-2*E(5)\hat{}3-E(5)\hat{}4$	$-2*E(5)-E(5)\hat{}2-E(5)\hat{}3-2*E(5)\hat{}4$	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
$0\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+1\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+1\cdot\chi_{11}+0\cdot\chi_{12}+0\cdot\chi_{13}$	18	18	−2	$-E(5)\hat{}2-E(5)\hat{}3$	$-E(5)-E(5)\hat{}4$	0	0	$-E(5)\hat{}2-E(5)\hat{}3$	$-E(5)-E(5)\hat{}4$	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
$0\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+1\cdot\chi_9+0\cdot\chi_{10}+1\cdot\chi_{11}+0\cdot\chi_{12}+0\cdot\chi_{13}$	18	18	−2	$-E(5)-E(5)\hat{}4$	$-E(5)\hat{}2-E(5)\hat{}3$	0	0	$-E(5)-E(5)\hat{}4$	$-E(5)\hat{}2-E(5)\hat{}3$	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
$0\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+1\cdot\chi_4+1\cdot\chi_5+1\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+1\cdot\chi_9+0\cdot\chi_{10}+1\cdot\chi_{11}+0\cdot\chi_{12}+0\cdot\chi_{13}$	36	36	0	1	1	−2	−2	1	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
$0\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+1\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+1\cdot\chi_{12}+0\cdot\chi_{13}$	18	−18	0	$-E(5)-E(5)\hat{}4$	$-E(5)\hat{}2-E(5)\hat{}3$	$-E(8)+E(8)\hat{}3$	$E(8)-E(8)\hat{}3$	$E(5)+E(5)\hat{}4$	$E(5)\hat{}2+E(5)\hat{}3$	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
$0\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+1\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+0\cdot\chi_{12}+1\cdot\chi_{13}$	18	−18	0	$-E(5)\hat{}2-E(5)\hat{}3$	$-E(5)-E(5)\hat{}4$	$E(8)-E(8)\hat{}3$	$-E(8)+E(8)\hat{}3$	$E(5)\hat{}2+E(5)\hat{}3$	$E(5)+E(5)\hat{}4$	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
$0\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+1\cdot\chi_{10}+0\cdot\chi_{11}+0\cdot\chi_{12}+0\cdot\chi_{13}$	9	9	1	−1	−1	1	1	−1	−1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
$1\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+0\cdot\chi_4+1\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+0\cdot\chi_{12}+0\cdot\chi_{13}$	6	6	2	1	1	0	0	1	1	3	3	1	1	0	0	0	0	0	0	0	0	0	0	0	0
$0\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+0\cdot\chi_4+1\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+1\cdot\chi_{11}+0\cdot\chi_{12}+0\cdot\chi_{13}$	15	15	−1	0	0	−1	−1	0	0	3	3	−1	−1	0	0	0	0	0	0	0	0	0	0	0	0
$0\cdot\chi_1+1\cdot\chi_2+0\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+1\cdot\chi_{12}+1\cdot\chi_{13}$	24	−24	0	−1	−1	0	0	1	1	3	−3	$E(4)$	$-E(4)$	0	0	0	0	0	0	0	0	0	0	0	0
$0\cdot\chi_1+1\cdot\chi_2+0\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+1\cdot\chi_{12}+1\cdot\chi_{13}$	24	−24	0	−1	−1	0	0	1	1	3	−3	$-E(4)$	$E(4)$	0	0	0	0	0	0	0	0	0	0	0	0
$1\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+1\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+0\cdot\chi_{12}+0\cdot\chi_{13}$	6	6	2	1	1	0	0	1	1	0	0	0	0	3	3	1	1	0	0	0	0	0	0	0	0
$0\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+1\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+1\cdot\chi_{11}+0\cdot\chi_{12}+0\cdot\chi_{13}$	15	15	−1	0	0	−1	−1	0	0	0	0	0	0	3	3	−1	−1	0	0	0	0	0	0	0	0
$0\cdot\chi_1+0\cdot\chi_2+1\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+1\cdot\chi_{12}+1\cdot\chi_{13}$	24	−24	0	−1	−1	0	0	1	1	0	0	0	0	3	−3	$-E(4)$	$E(4)$	0	0	0	0	0	0	0	0
$0\cdot\chi_1+0\cdot\chi_2+1\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+1\cdot\chi_{12}+1\cdot\chi_{13}$	24	−24	0	−1	−1	0	0	1	1	0	0	0	0	3	−3	$E(4)$	$-E(4)$	0	0	0	0	0	0	0	0
$1\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+0\cdot\chi_{12}+0\cdot\chi_{13}$	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1
$0\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+1\cdot\chi_4+1\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+0\cdot\chi_{12}+0\cdot\chi_{13}$	10	10	2	0	0	−2	−2	0	0	1	1	1	1	1	1	1	1	1	1	1	1	−1	−1	−1	−1
$0\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+1\cdot\chi_{11}+0\cdot\chi_{12}+0\cdot\chi_{13}$	10	10	−2	0	0	0	0	0	0	1	1	−1	−1	1	1	−1	−1	1	1	−1	−1	$E(4)$	$-E(4)$	$E(4)$	$-E(4)$
$0\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+1\cdot\chi_{11}+0\cdot\chi_{12}+0\cdot\chi_{13}$	10	10	−2	0	0	0	0	0	0	1	1	−1	−1	1	1	−1	−1	1	1	−1	−1	$-E(4)$	$E(4)$	$-E(4)$	$E(4)$
$0\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+1\cdot\chi_{12}+0\cdot\chi_{13}$	10	−10	0	0	0	$-E(8)+E(8)\hat{}3$	$E(8)-E(8)\hat{}3$	0	0	1	−1	$E(4)$	$-E(4)$	1	−1	$E(4)$	$-E(4)$	1	−1	$E(4)$	$-E(4)$	$-E(8)$	$-E(8)\hat{}3$	$E(8)$	$E(8)\hat{}3$
$0\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+0\cdot\chi_{12}+1\cdot\chi_{13}$	10	−10	0	0	0	$E(8)-E(8)\hat{}3$	$-E(8)+E(8)\hat{}3$	0	0	1	−1	$-E(4)$	$E(4)$	1	−1	$-E(4)$	$E(4)$	1	−1	$-E(4)$	$E(4)$	$-E(8)\hat{}3$	$-E(8)$	$E(8)\hat{}3$	$E(8)$
$0\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+1\cdot\chi_{12}+0\cdot\chi_{13}$	10	−10	0	0	0	$-E(8)+E(8)\hat{}3$	$E(8)-E(8)\hat{}3$	0	0	1	−1	$-E(4)$	$E(4)$	1	−1	$-E(4)$	$E(4)$	1	−1	$-E(4)$	$E(4)$	$E(8)\hat{}3$	$E(8)$	$-E(8)\hat{}3$	$-E(8)$
$0\cdot\chi_1+0\cdot\chi_2+0\cdot\chi_3+0\cdot\chi_4+0\cdot\chi_5+0\cdot\chi_6+0\cdot\chi_7+0\cdot\chi_8+0\cdot\chi_9+0\cdot\chi_{10}+0\cdot\chi_{11}+0\cdot\chi_{12}+1\cdot\chi_{13}$	10	−10	0	0	0	$E(8)-E(8)\hat{}3$	$-E(8)+E(8)\hat{}3$	0	0	1	−1	$E(4)$	$-E(4)$	1	−1	$E(4)$	$-E(4)$	1	−1	$E(4)$	$-E(4)$	$E(8)$	$E(8)\hat{}3$	$-E(8)$	$-E(8)\hat{}3$

$P_1 = Group([()]) \cong 1$
$P_2 = Group([(3,13,20)(6,24,11)(7,15,18)(8,10,14)(9,35,17)(12,36,16)(19,28,23)(21,27,22)(25,32,45)(26,40,57)(29,34,47)(30,38,55)(31,56,59)(33,58,61)(37,48,51)(39,46,49)(41,69,52)(42,71,53)(43,78,63)(44,77,62)(50,73,70)(54,75,72)(60,74,79)(64,76,80)]) \cong$ C3
$P_3 = Group([(3,51,23)(6,39,21)(7,61,16)(8,31,9)(10,56,35)(11,49,22)(12,15,33)(13,37,19)(14,59,17)(18,58,36)(20,48,28)(24,46,27)(25,77,72)(26,69,79)(29,78,70)(30,71,80)(32,62,54)(34,63,50)(38,53,64)(40,52,60)(41,74,57)(42,76,55)(43,73,47)(44,75,45)]) \cong$ C3
$P_4 = Group([(3,28,37)(6,22,46)(7,36,33)(8,17,56)(9,59,10)(11,27,39)(12,61,18)(13,23,48)(14,35,31)(15,16,58)(19,51,20)(21,49,24)(25,75,62)(26,74,52)(29,73,63)(30,76,53)(32,72,44)(34,70,43)(38,80,42)(40,79,41)(45,54,77)(47,50,78)(55,64,71)(57,60,69),(3,48,19)(6,49,27)(7,58,12)(8,59,35)(9,14,56)(10,31,17)(11,46,21)(13,51,28)(15,61,36)(16,18,33)(20,37,23)(22,24,39)(25,44,54)(26,41,60)(29,43,50)(30,42,64)(32,77,75)(34,78,73)(38,71,76)(40,69,74)(45,62,72)(47,63,70)(52,79,57)(53,80,55)]) \cong$ C3 x C3

$N_1 = Group([(1,3,10,13,4,11,18,6)(2,7,20,15,5,14,24,8)(9,25,19,30,12,29,21,26)(16,31,50,34,17,33,54,32)(22,37,60,40,23,39,64,38)(27,45,70,48,28,47,72,46)(35,55,79,58,36,57,80,56)(41,63,69,66,42,62,71,65)(43,53,78,68,44,52,77,67)(49,73,61,76,51,75,59,74),(1,2,4,5)(3,9,11,12)(6,16,13,17)(7,19,14,21)(8,22,15,23)(10,27,18,28)(20,35,24,36)(25,41,29,42)(26,43,30,44)(31,49,33,51)(32,52,34,53)(37,59,39,61)(38,62,40,63)(45,69,47,71)(46,58,48,56)(50,64,54,60)(55,77,57,78)(65,68,66,67)(70,76,72,74)(73,80,75,79)]) \cong$ SL(2,9)
$N_2 = Group([(3,13,20)(6,24,11)(7,15,18)(8,10,14)(9,35,17)(12,36,16)(19,28,23)(21,27,22)(25,32,45)(26,40,57)(29,34,47)(30,38,55)(31,56,59)(33,58,61)(37,48,51)(39,46,49)(41,69,52)(42,71,53)(43,78,63)(44,77,62)(50,73,70)(54,75,72)(60,74,79)(64,76,80),(1,2,4,5)(3,14,11,7)(6,18,13,10)(8,24,15,20)(9,46,12,48)(16,51,17,49)(19,56,21,58)(22,61,23,59)(25,60,29,64)(26,50,30,54)(27,33,28,31)(32,79,34,80)(35,39,36,37)(38,72,40,70)(41,43,42,44)(45,74,47,76)(52,78,53,77)(55,75,57,73)(62,69,63,71)(65,68,66,67),(3,37,28)(6,46,22)(7,33,36)(8,56,17)(9,10,59)(11,39,27)(12,18,61)(13,48,23)(14,31,35)(15,58,16)(19,20,51)(21,24,49)(25,62,75)(26,52,74)(29,63,73)(30,53,76)(32,44,72)(34,43,70)(38,42,80)(40,41,79)(45,77,54)(47,78,50)(55,71,64)(57,69,60)]) \cong$ (C3 x C3) : C4
$N_3 = Group([(1,2,4,5)(3,14,11,7)(6,18,13,10)(8,24,15,20)(9,46,12,48)(16,51,17,49)(19,56,21,58)(22,61,23,59)(25,60,29,64)(26,50,30,54)(27,33,28,31)(32,79,34,80)(35,39,36,37)(38,72,40,70)(41,43,42,44)(45,74,47,76)(52,78,53,77)(55,75,57,73)(62,69,63,71)(65,68,66,67),(1,5,4,2)(3,18,11,10)(6,8,13,15)(7,24,14,20)(9,37,12,39)(16,46,17,48)(19,33,21,31)(22,56,23,58)(25,80,29,79)(26,72,30,70)(27,59,28,61)(32,76,34,74)(35,51,36,49)(38,73,40,75)(41,62,42,63)(43,52,44,53)(45,64,47,60)(50,57,54,55)(65,67,66,68)(69,77,71,78),(3,51,23)(6,39,21)(7,61,16)(8,31,9)(10,56,35)(11,49,22)(12,15,33)(13,37,19)(14,59,17)(18,58,36)(20,48,28)(24,46,27)(25,77,72)(26,69,79)(29,78,70)(30,71,80)(32,62,54)(34,63,50)(38,53,64)(40,52,60)(41,74,57)(42,76,55)(43,73,47)(44,75,45)]) \cong$ (C3 x C3) : C4
$N_4 = Group([(1,66,2,67,4,65,5,68)(3,44,14,41,11,43,7,42)(6,34,18,80,13,32,10,79)(8,40,24,70,15,38,20,72)(9,74,46,47,12,76,48,45)(16,30,51,54,17,26,49,50)(19,75,56,57,21,73,58,55)(22,29,61,64,23,25,59,60)(27,63,33,71,28,62,31,69)(35,52,39,78,36,53,37,77),(3,28,37)(6,22,46)(7,36,33)(8,17,56)(9,59,10)(11,27,39)(12,61,18)(13,23,48)(14,35,31)(15,16,58)(19,51,20)(21,49,24)(25,75,62)(26,74,52)(29,73,63)(30,76,53)(32,72,44)(34,70,43)(38,80,42)(40,79,41)(45,54,77)(47,50,78)(55,64,71)(57,60,69),(3,48,19)(6,49,27)(7,58,12)(8,59,35)(9,14,56)(10,31,17)(11,46,21)(13,51,28)(15,61,36)(16,18,33)(20,37,23)(22,24,39)(25,44,54)(26,41,60)(29,43,50)(30,42,64)(32,77,75)(34,78,73)(38,71,76)(40,69,74)(45,62,72)(47,63,70)(52,79,57)(53,80,55)]) \cong$ (C3 x C3) : C8